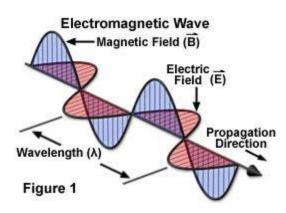
How does an antenna that only generates a magnetic field, generate an electromagnetic (EM) wave?

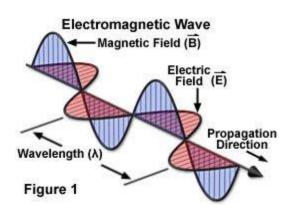
Electromagnetic (EM) Wave

- Made up of <u>two</u> time varying components:
 - Electric field (E)
 - Magnetic field (B)
- Electric and magnetic fields
 - Orthogonal and in phase
 - Are tightly coupled to each other
 - Propagate through space at the speed of light
 - How do we know this: Maxwell' equations
- Greatest physicists all time:
 - 1. Newton (F= ma)
 - 2. Einstein (E= mc²)
 - 3. ?



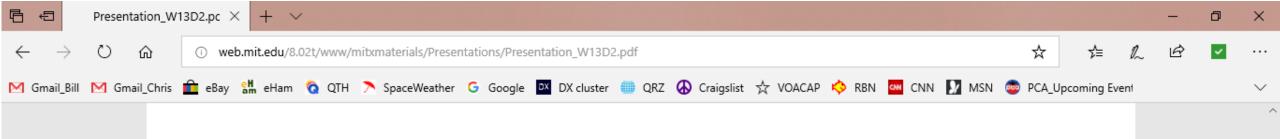
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 - 2. Einstein (E= mc²)
 - 3. Maxwell (Maxwell's equations)



Force Fields & EM Waves

- Charged particle: free electron (which has a negative charge)
- Constant electric field is produced by a <u>stationary</u> charged particle
 - Example: a capacitor with a DC charge
- Constant magnetic field is produced by a moving charged
 - Important point: charges are moving at a constant velocity
 - Example: a DC current flowing thru a conductor
- An EM wave is produced by an <u>accelerating</u> charged particle
 - Examples:
 - Particle accelerator
 - AC current flowing thru a conductor of sufficient length



Maxwell's Equations

$$\oint_{S} \vec{\mathbf{E}} \cdot \hat{\mathbf{n}} \, dA = \frac{1}{\varepsilon_{0}} \iiint_{V} \rho \, dV$$

$$\oiint \vec{\mathbf{B}} \cdot \hat{\mathbf{n}} \, dA = 0$$

$$\oint_C \vec{\mathbf{E}} \cdot d\vec{\mathbf{s}} = -\frac{d}{dt} \iint_S \vec{\mathbf{B}} \cdot \hat{\mathbf{n}} \, dA$$

$$\oint_{C} \vec{\mathbf{B}} \cdot d\vec{\mathbf{s}} = \mu_{0} \iint_{S} \vec{\mathbf{J}} \cdot \hat{\mathbf{n}} \, dA + \mu_{0} \varepsilon_{0} \frac{d}{dt} \iint_{S} \vec{\mathbf{E}} \cdot \hat{\mathbf{n}} \, dA \qquad \text{(Maxwell-Ampere's Law)}$$

(Gauss's Law)

(Magnetic Gauss's Law)

(Faraday's Law)















Why Are Maxwell's Equations Important

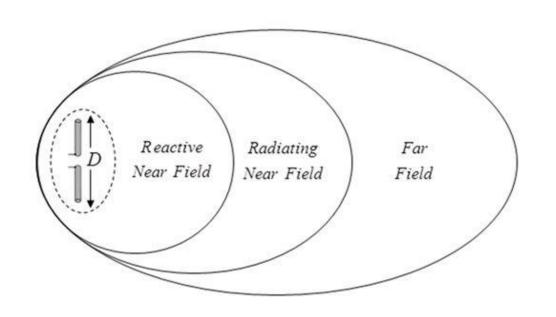
- Show the link between electricity, magnetism and light
 - Show that light is a form of EM radiation
- Break down under some conditions
 - Led Einstein to Theory of Relativity
- Mathematical description of how EM waves are generated and altered

How Does An EM Wave Get Generated

- From Maxwell's equations:
 - A time varying electric field induces a time varying magnetic field
 - A time varying magnetic field induces a time varying electric field
 - This interplay between induced electric and induced magnetic fields leads to propagating electromagnetic waves
- Most antennas do not launch an EM wave
 - They generate either a time varying electric field or a time varying magnetic field

Spatial Fields (Distance From An Antenna)

Pure EM waves only exist in the <u>Far Field</u>



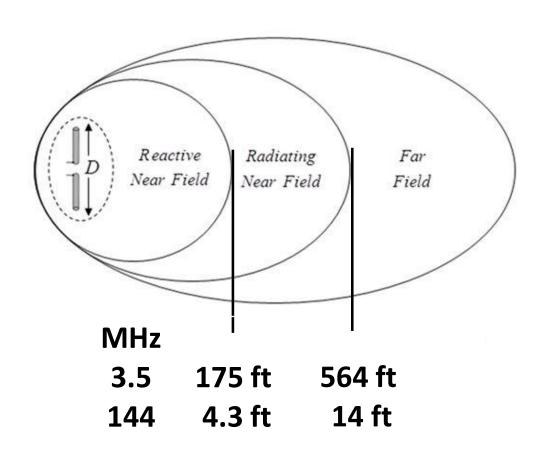
Reactive Near Field: $r < 0.62 \sqrt{D^3/\lambda}$

Radiating Near Field: $0.62\sqrt{D^3/\lambda} < r < 2D^2/\lambda$

Far Field: $r > 2D^2/\lambda$

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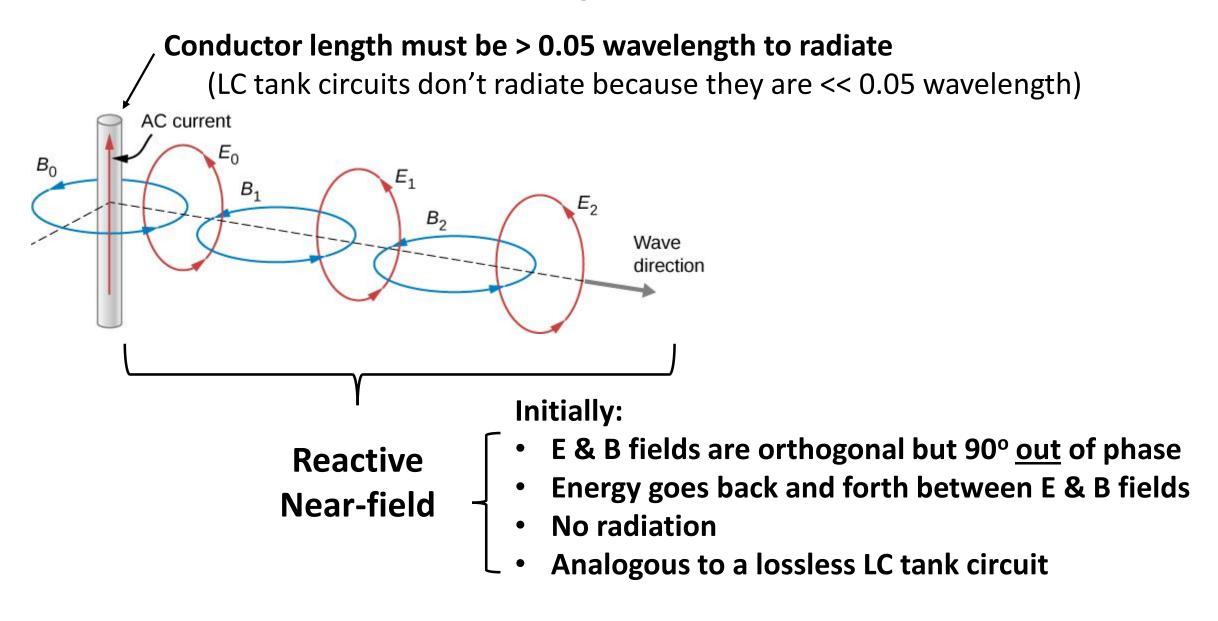


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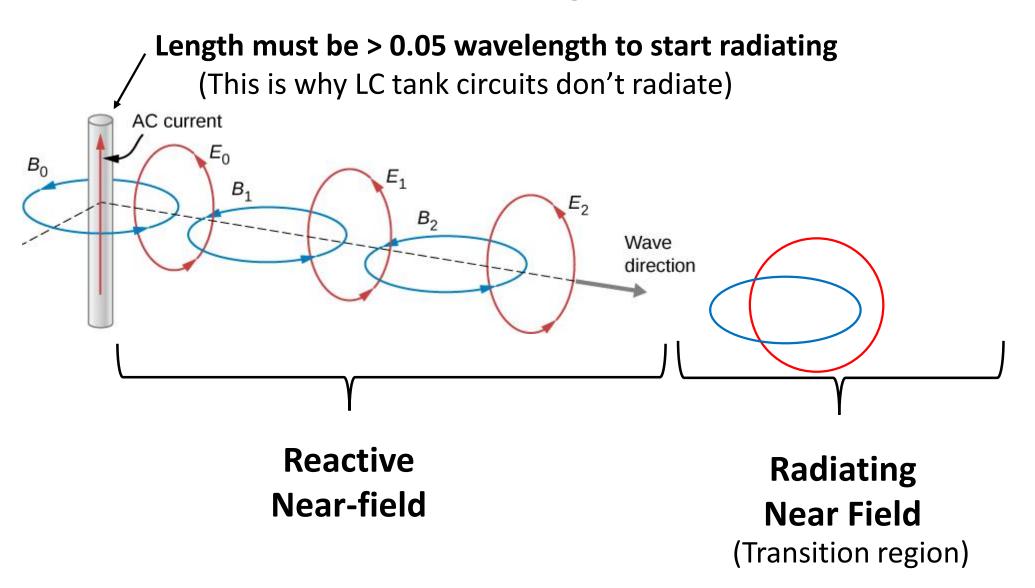
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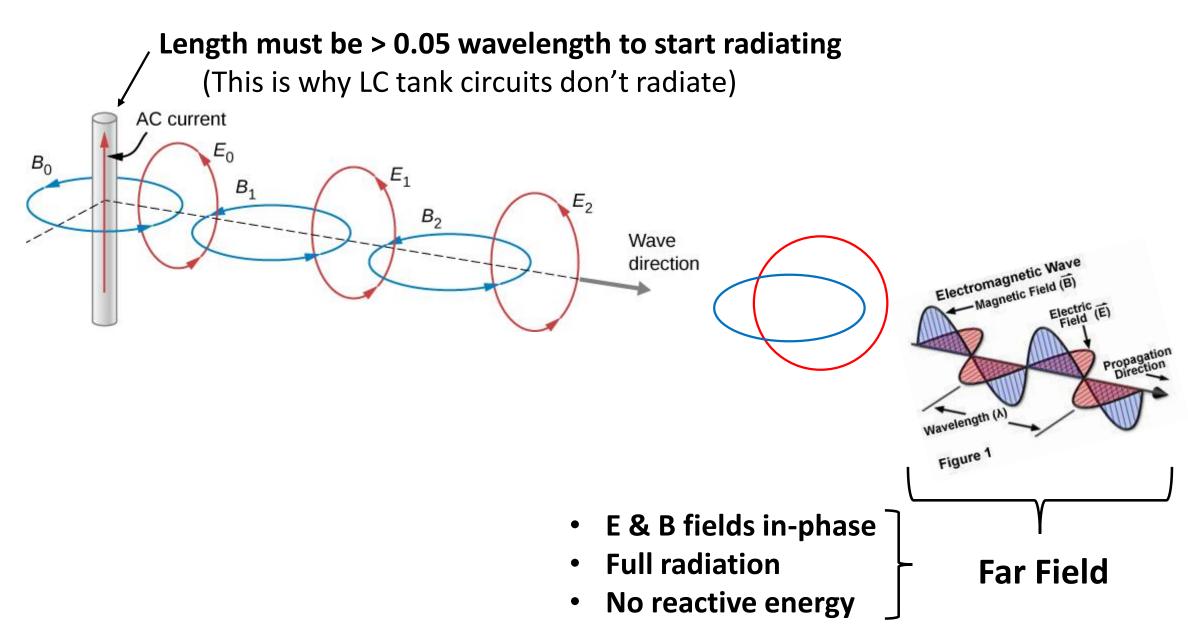
EM Wave From A Magnetic Field Generator



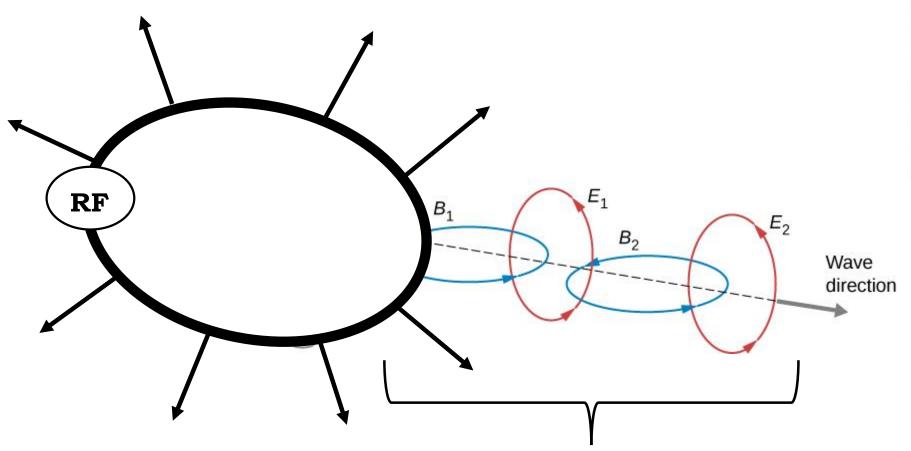
EM Wave From A Magnetic Field Generator

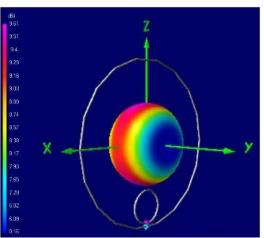


EM Wave From A Magnetic Field Generator



Magnetic Loop Antenna

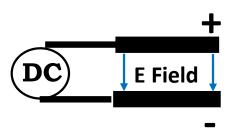




Far Field Pattern

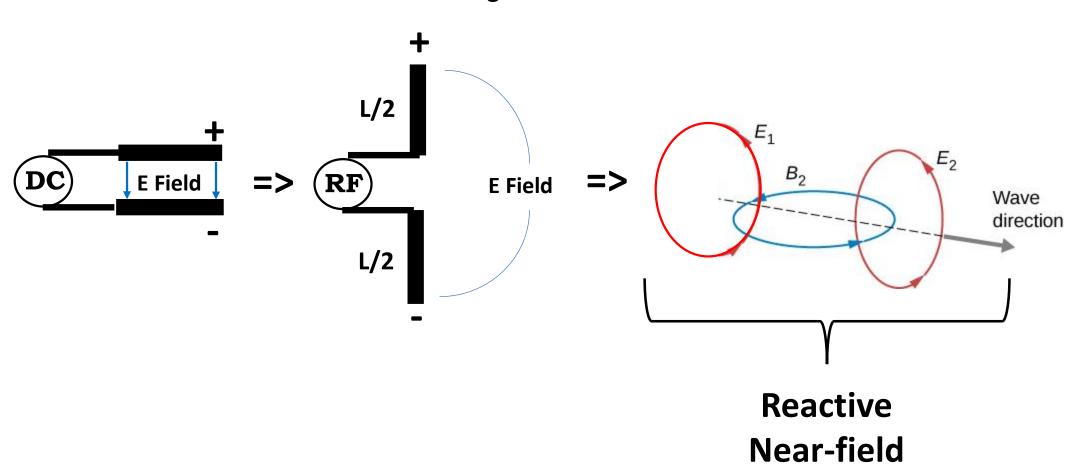
Reactive Near-field

Electric Field Antenna



Electric Field Antenna

L> 0.05 wavelength



Magnetic Loop Antenna

- Why is it called a Magnetic Loop antenna?
 - In the reactive near-field:
 - It generates a magnetic field on transmit and,
 - It responds primarily to the magnetic field of an EM wave when receiving

• In the far field, there is no difference between the EM wave generated

from a magnetic loop or from a dipole

Ground effects:

Near field: detuning and losses are minimal

Far field: similar to ground mounted vertical

Pseudo-Brewster angle notch-out

